

Invariants of winding-numbers in dynamics of flux lines and its visualization

Winding loops in models with local constraints have a natural integer dynamics consisting in the evolution of their integer winding numbers. The dynamics in this case, known as Kempe moves, results in disconnected stable and unstable sectors [1]. Using Pontryagin-Thom construction, we show that the stable invariants I_2, I^\pm are charged by the stable homotopy group of spheres Π_2 and is visualized as right-left configurations of winding loops on the immersed Konstantinov torus [2]. The stable invariant I^\pm , is defined for each chiral sector of I_2 by a polynomial of the degree 6, see [1]. At the end of my talk we will discuss (higher) right-left configurations for dynamics on characteristic surfaces in the $3D$ homogeneous space S^3/\mathbf{Q} , $\mathbf{Q} = \{\pm 1, \pm \mathbf{i}, \pm \mathbf{j}, \pm \mathbf{k}\}$. Examples of dynamics are charged by the elements $\pm 4 \pmod{16}$ in 2-component of the stable homotopy group of spheres ${}_2\Pi_7 = \mathbb{Z}/16$.

References

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2. P. M. Akhmetiev and O. Cépas, *A visualization of stable invariants of integer dynamics of three-colorings*, Труды XI Приокской научной конференции, посвященной 70-ти летию В.П.Лексина, Коломна ГСГУ 2019 ISBN 978-5-98492-402-3

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